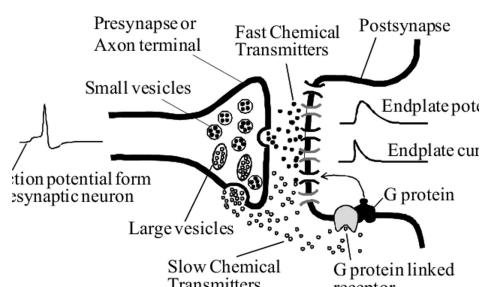
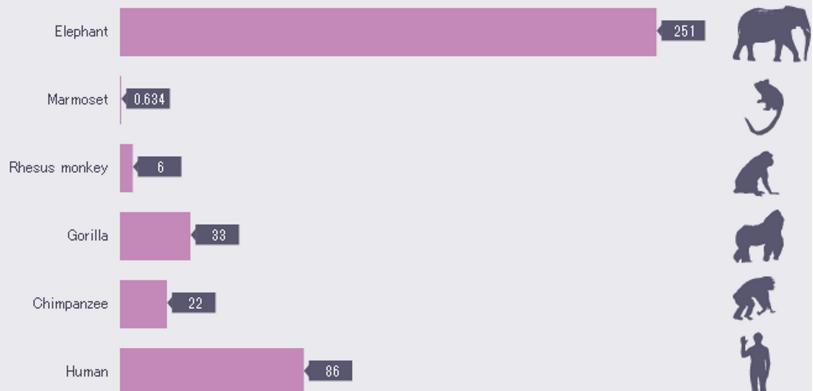


## Brain neurons (billions)



Pirates (1986) 10800p BrRip x264 YIFY



### Επιληπτική κρίση

**Τι είναι**

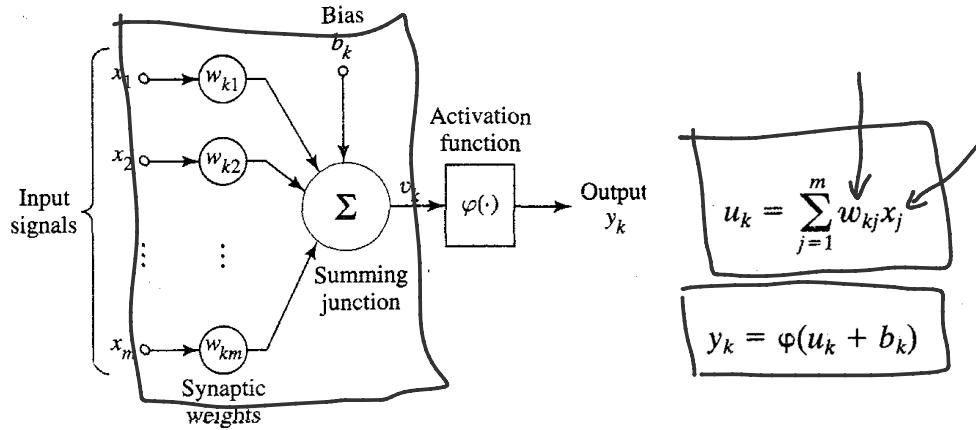
Επιληψία είναι η κλινική εικόνα διαταραχών του εγκεφάλου που έχοντας κοινό στημένο τους επαναλαμβανόμενους παροξύνσμους με αιφνίδια και ανώμαλη εκφόρτιση εγκεφαλικών νευρώνων.

Έχουμε σπασμούς, κυάνωση, ακράτεια και σύγχυση.

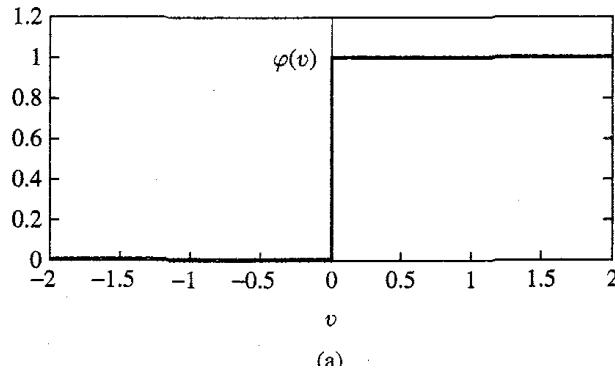
Οι ψευδαισθήσεις εντοπίζονται λόγω έλλειψης ύπνου, έλλειψης τροφής, έλλειψης νερού ή αισθητηριακού αποκλεισμού (περιορισμός όρασης, ακοής ή άλλης αίσθησης)



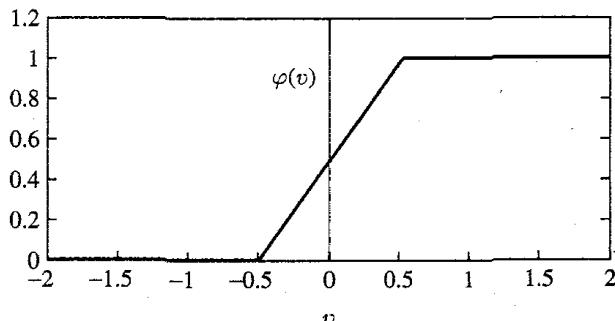
Οι ψευδαισθήσεις εντοπίζονται λόγω έλλειψης ύπνου, έλλειψης τροφής, έλλειψης νερού ή αισθητηριακού αποκλεισμού (περιορισμός όρασης, ακοής ή άλλης αίσθησης)



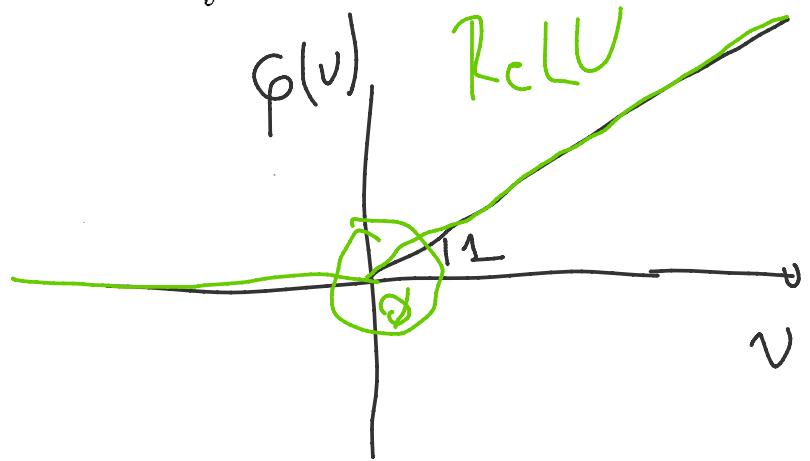
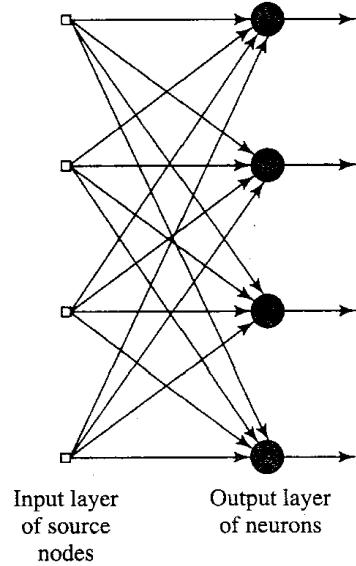
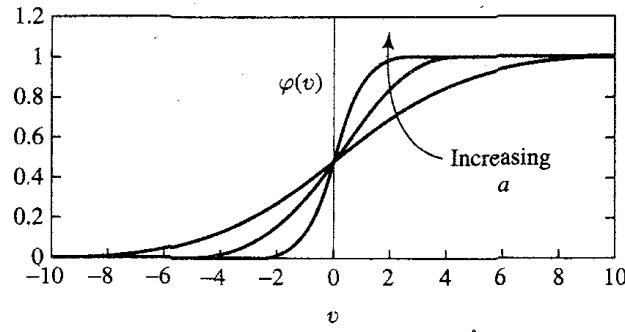
$$\varphi(v) = \begin{cases} 1 & \text{if } v \geq 0 \\ 0 & \text{if } v < 0 \end{cases}$$



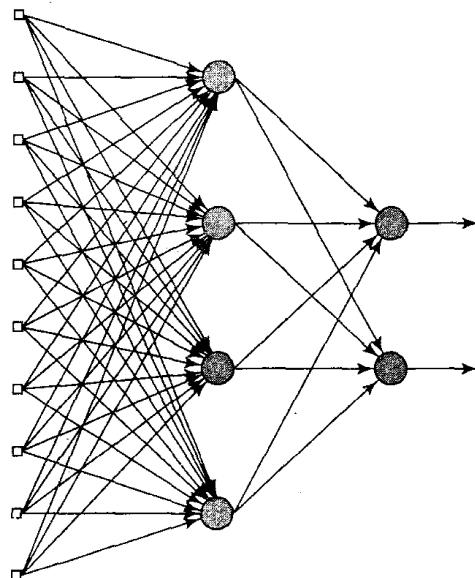
$$\varphi(v) = \begin{cases} 1, & v \geq +\frac{1}{2} \\ v, & +\frac{1}{2} > v > -\frac{1}{2} \\ 0, & v \leq -\frac{1}{2} \end{cases}$$



$$\varphi(v) = \frac{1}{1 + \exp(-av)}$$



**FIGURE 1.15** Feedforward or acyclic network with a single layer of neurons.

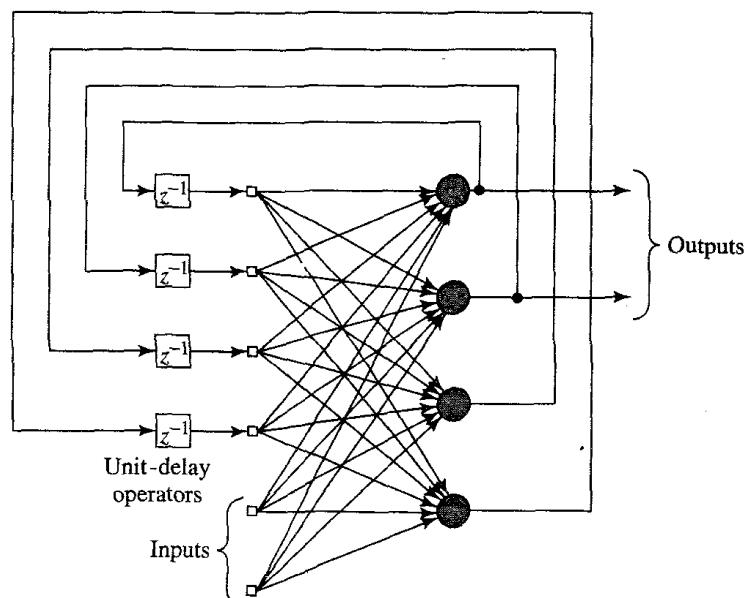


**FIGURE 1.16** Fully connected feedforward or acyclic network with one hidden layer and one output layer.

Input layer  
of source  
nodes

Layer of  
hidden  
neurons

Layer of  
output  
neurons

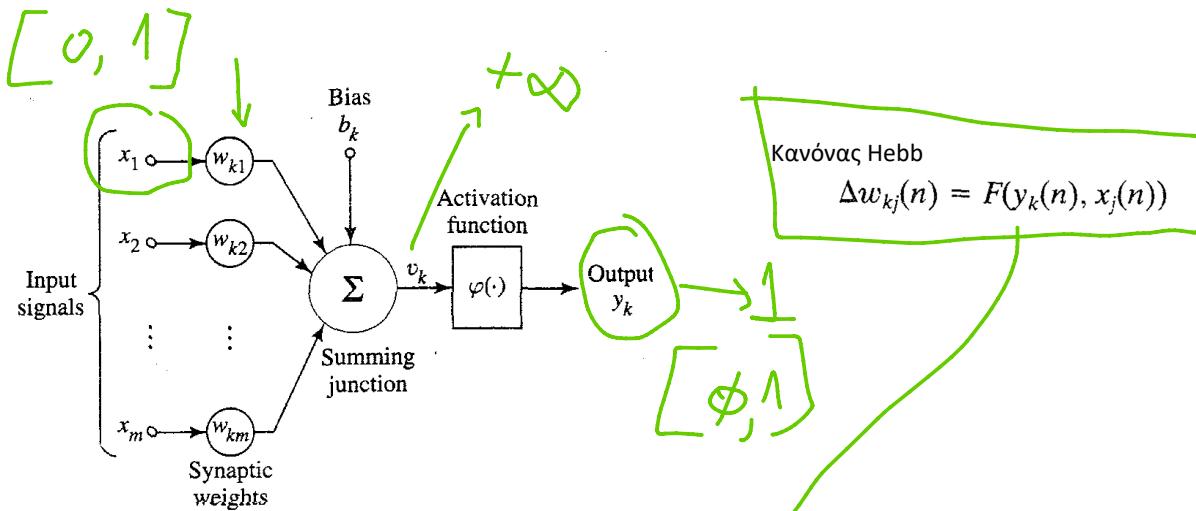


**FIGURE 1.18** Recurrent network with hidden neurons.

The Organization of Behavior (1949, p.62):

Hebb

When an axon of cell A is near enough to excite a cell B and repeatedly or persistently takes part in firing it, some growth process or metabolic changes take place in one or both cells such that A's efficiency as one of the cells firing B, is increased.



The simplest form of Hebbian learning is described by

$$\Delta w_{kj}(n) = \eta y_k(n)x_j(n)$$

Αν δεν ξεχνάμε υπάρχει σοβαρό θέμα !!!

$$\Delta w_{kj}(m) = F(y_k(m), x_j(m)) -$$

$$g(w_{kj}(m-1), y_k(m))$$

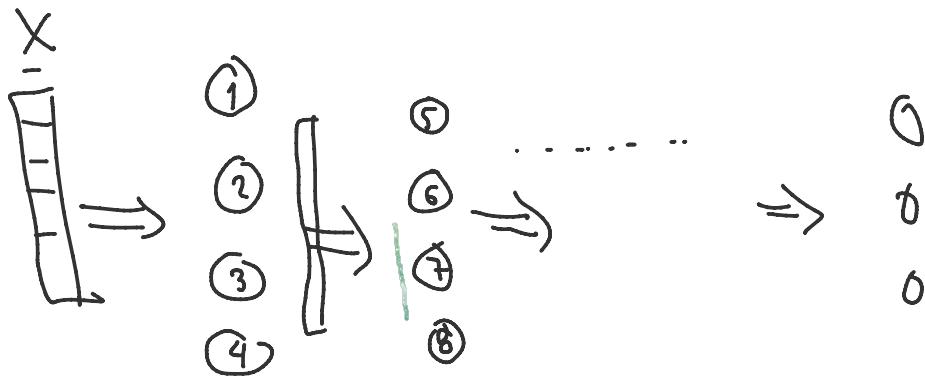
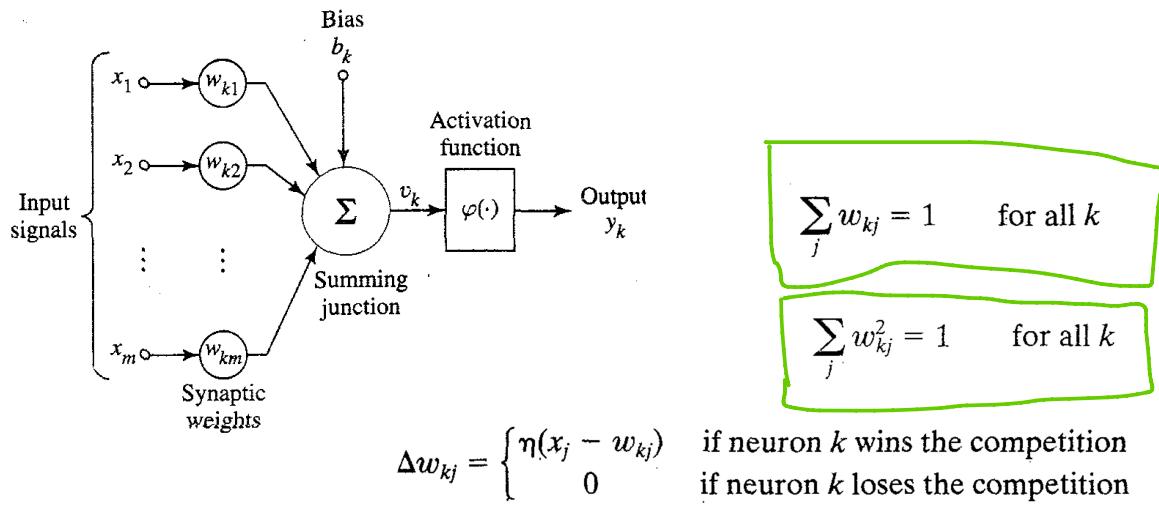
Απλωνοποιητική σχέση

$$\Delta w_{kj}(m) = \gamma y_k(m)x_j(m) - \alpha w_{kj}(m-1) \cdot y_k(m) =$$

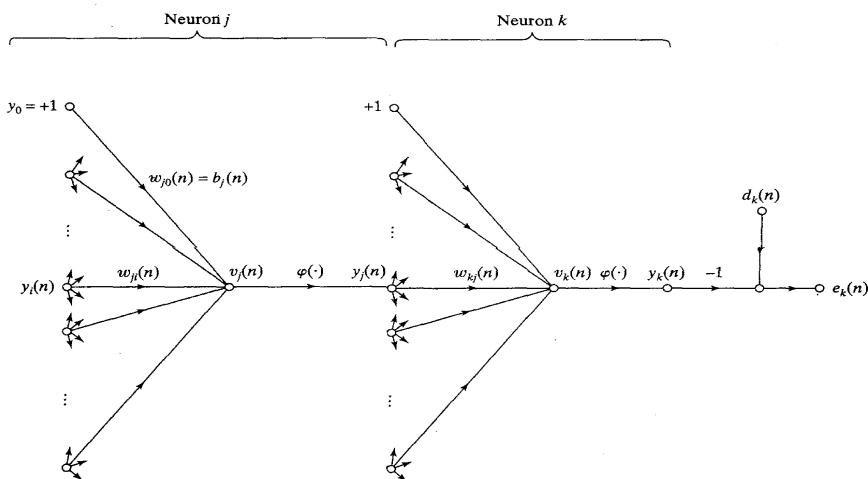
$$= y_k(m) [\gamma x_j(m) - \alpha w_{kj}(m-1)] =$$

$$= \gamma y_k(m) [x_j(m) - \frac{\alpha}{\gamma} w_{kj}(m-1)]$$

$$+ -$$



Οπισθοδρομική διάδοση του σφάλματος - Error backpropagation



$$\Delta w_{ji}(n) = -\eta \frac{\partial \mathcal{E}(n)}{\partial w_{ji}(n)}$$

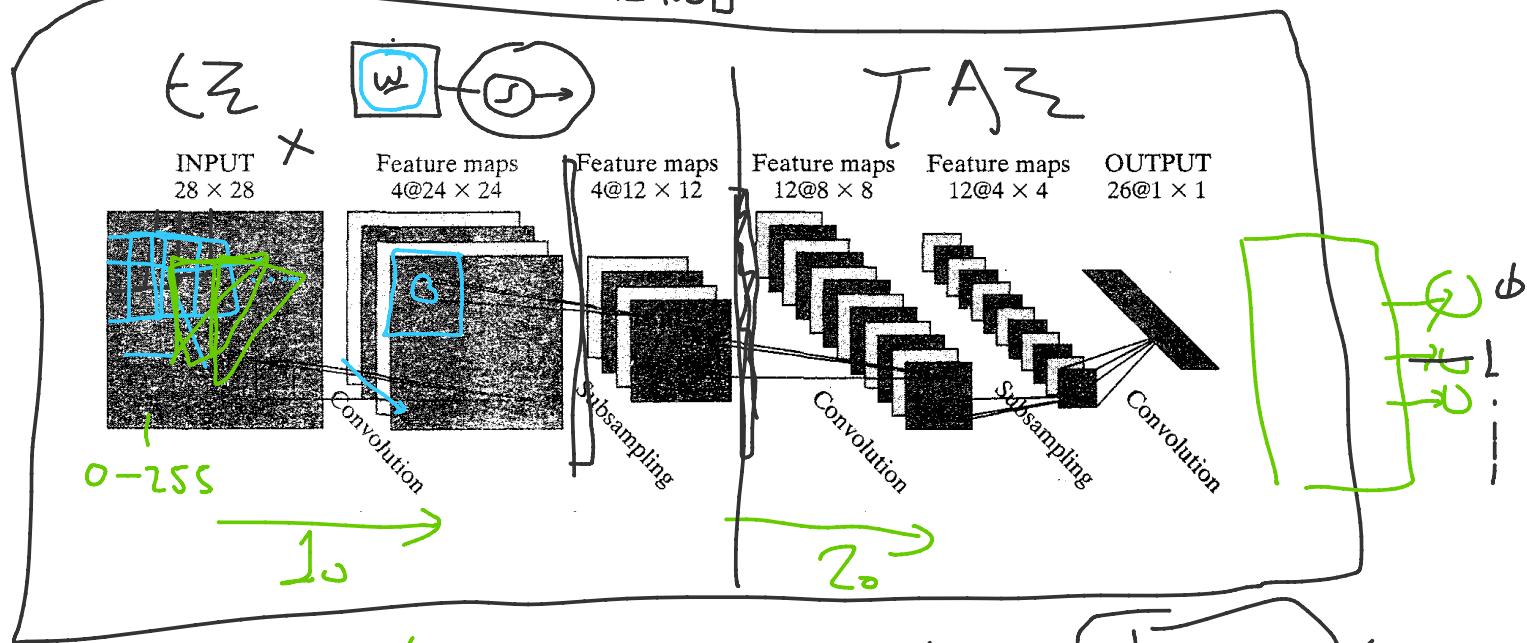
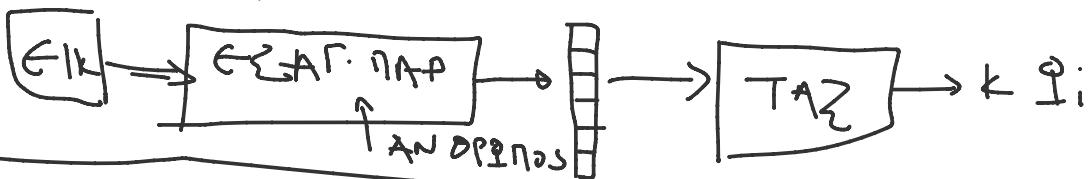
$$\delta_j(n) = -\frac{\partial \mathcal{E}(n)}{\partial v_j(n)}$$

$$\Delta w_{ji}(n) = \eta \delta_j(n) y_i(n)$$

MOTRAZELI NE HEBBIAN

$$\delta_j(n) = \varphi'_j(v_j(n)) \sum_k \delta_k(n) w_{kj}(n), \quad \text{neuron } j \text{ is hidden}$$

$$\begin{aligned} \delta_j(n) &= e_j(n) \varphi'_j(v_j(n)) \rightarrow \text{if} \\ &= a[d_j(n) - o_j(n)]o_j(n)[1 - o_j(n)], \quad \text{neuron } j \text{ is an output node} \end{aligned}$$



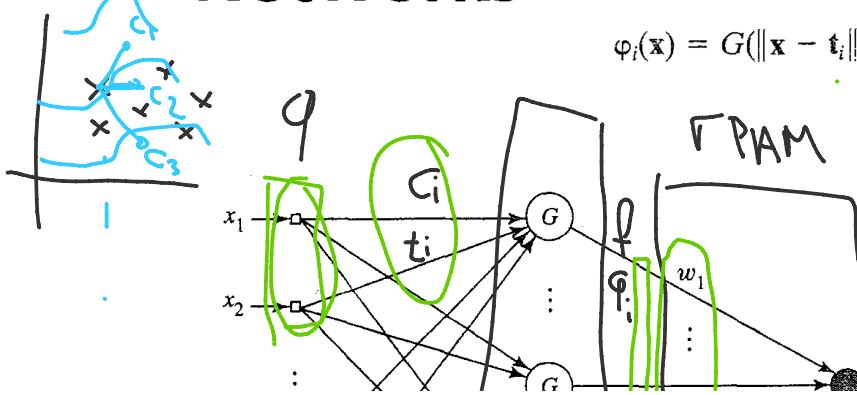
$$x = \frac{x - \langle x \rangle}{\sigma} \quad \langle x' \rangle = \phi \quad \sigma^2 = 1$$

$$y = \frac{1}{1 + e^{-\frac{-2w_i x_i}{0.01}}}$$

## Radial-Basis Function Networks

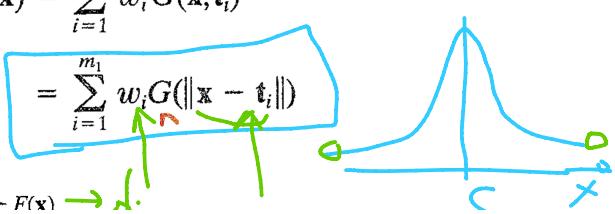
$$f(\|\underline{x} - \underline{c}_i\|) \quad f(\underline{w}^\top \cdot \underline{x})$$

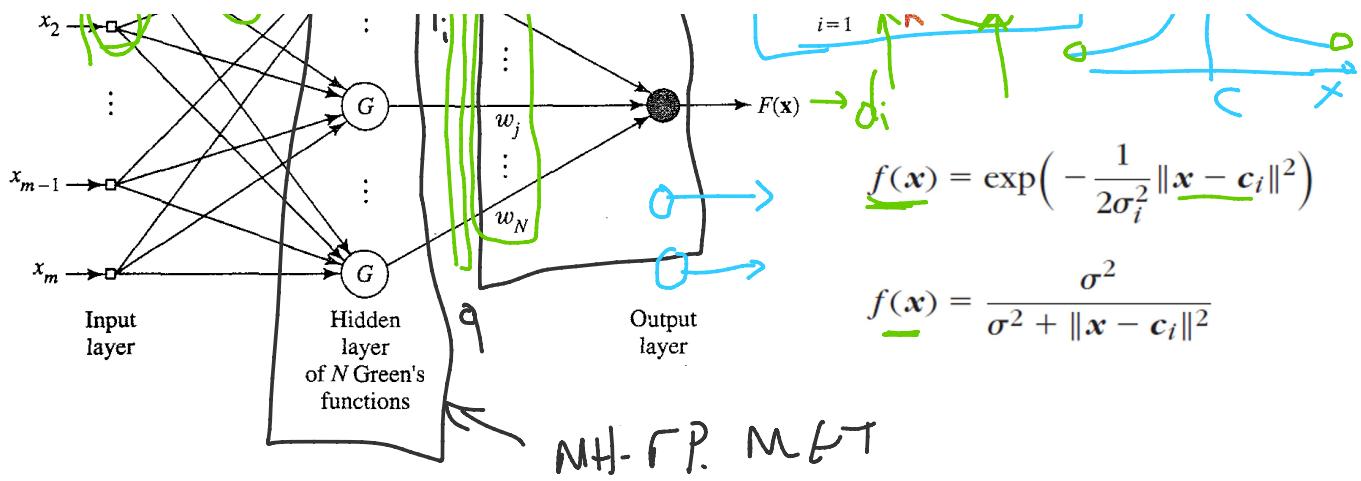
$$\varphi_i(\underline{x}) = G(\|\underline{x} - \underline{t}_i\|), \quad i = 1, 2, \dots, m_1$$



$$F^*(\underline{x}) = \sum_{i=1}^{m_1} w_i G(\underline{x}, \underline{t}_i)$$

$$= \sum_{i=1}^{m_1} w_i G(\|\underline{x} - \underline{t}_i\|)$$





$$F^*(\mathbf{x}) = \sum_{i=1}^{m_1} w_i \varphi_i(\mathbf{x})$$

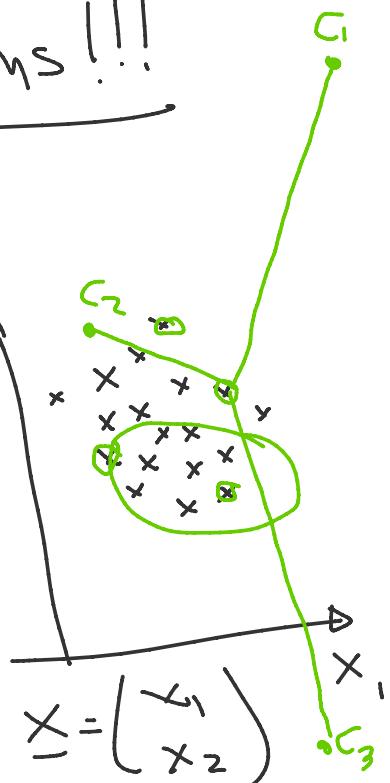
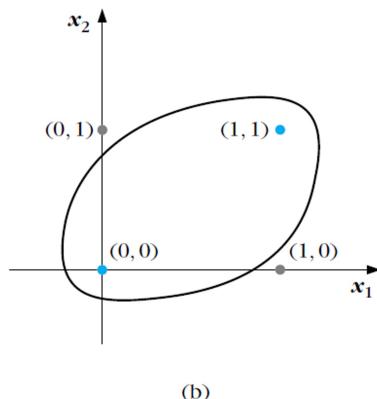
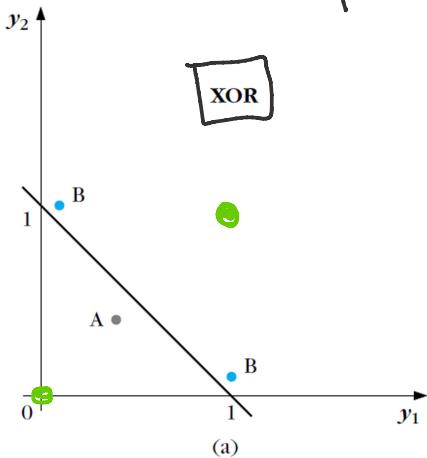
$$\nabla_w \mathcal{E}(F^*) = \emptyset \quad \nabla_{t_j} \mathcal{E}(F^*) = \emptyset$$

Εκπαίδευση RBF

$$\mathcal{E}(w, t) - \mathcal{E}(F^*) = \sum_{i=1}^N \left( d_i - \sum_{j=1}^{m_1} w_j G(\|\mathbf{x}_i - \mathbf{t}_j\|) \right)^2$$

| K-Means !!!

To προβλήμα της πύρηνα XOR



$$\underline{x} \rightarrow \omega_1 \quad \underline{x} \rightarrow \omega_2$$

$$y = \underline{w}^\top \underline{x}$$

$\forall i \in \{1, 2, \dots, N\} \quad \underline{w}_i^\top \underline{x} \geq 0$

$$\text{COVER} \quad \exists f(\underline{x}): \underline{z} = f(\underline{x})$$

$$(\underline{z})_M \stackrel{M \leq N}{\Rightarrow}$$

$$y = \underline{w} \cdot \underline{x}$$

$\forall n \quad \underline{x} \in w_1 \rightarrow y > 0$   
 $\underline{x} \in w_2 \rightarrow y < 0$

$$( \leq )^n \Rightarrow$$

$$y = \overline{w} \cdot \overline{x}$$