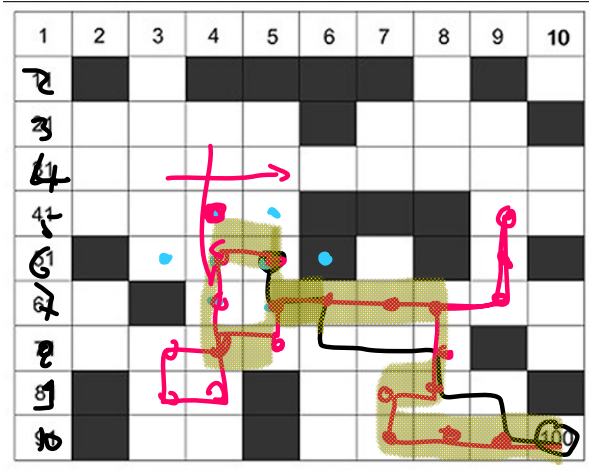


Εύρεση διαδρομής με τον αλγόριθμο ACO (ant colony optimization)



$$P_{ij}^k(t) = \begin{cases} \frac{(\tau_{ij}(t))^\alpha \cdot (\eta_{ij}(t))^\beta}{\sum_{s \in allow_k} (\tau_{is}(t))^\alpha \cdot (\eta_{is}(t))^\beta} & s \in allow_k \\ 0 & s \notin allow_k \end{cases}$$

$$\eta_{ij}(t) = \frac{1}{d_{ij}}$$

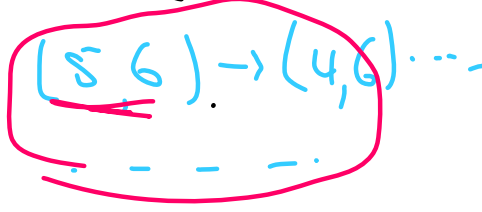
$$d_{ij} = \sqrt{(x_j - x_i)^2 + (y_j - y_i)^2}$$

$\tau_{ij}(t)$ ≡ ΠΟΣΟΤΗΤΑ ΦΕΡΟΜΟΝΗΣ ΣΤΟ ΚΕΝΤΡΟ



i, j ΤΗΝ ΧΡΟΝΙΚΗ ΣΤΙΓΜΗ t

ΠΩΣ ΑΝΑΖΕΙ + ΦΕΡΟΜΟΝΗ;



$$\tau_{ij}^{(t+1)} = (1 - \rho) \tau_{ij}^{(t)} + \Delta \tau_{ij}^{(t)}$$

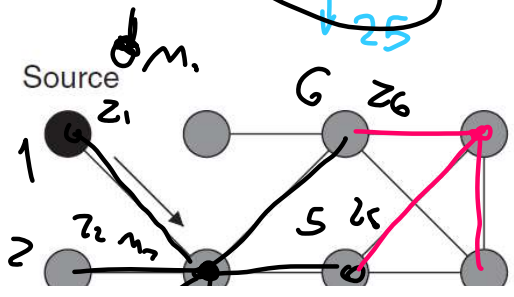
$0 < \rho < 1$

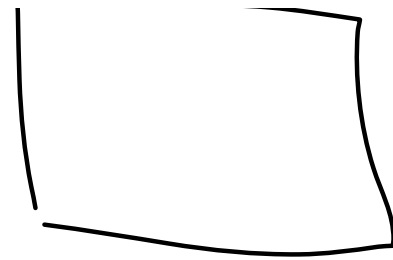
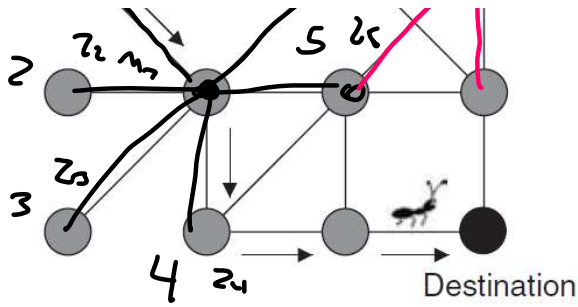
$$\Delta \tau_{ij} = \sum_{k=1}^m \Delta \tau_{ij}^{(k)}$$

≡ μ. φερμ. μυσ. μυσφ.

$$\Delta \tau_{ij}^{(k)} = \frac{Q}{L^m}$$

ΣΥΝΟΡΙΚΟ ΜΗΚΟΣ ΜΟΝΩΤΑΙΟΥ





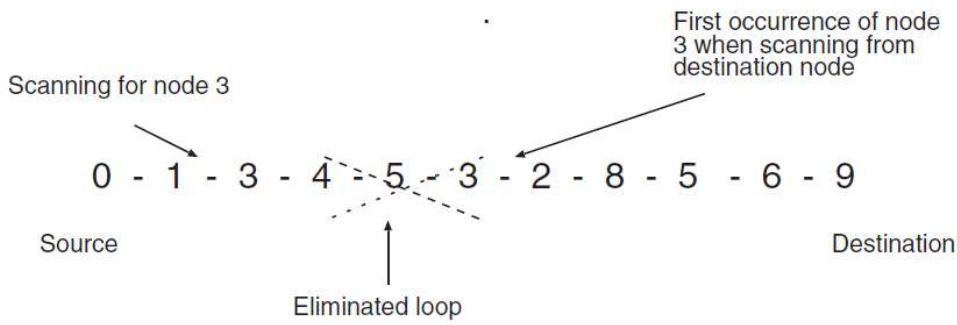
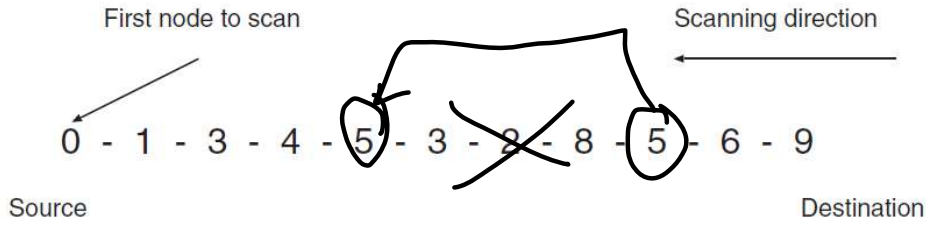
$$P_i = \frac{z_i^\alpha \cdot \gamma_i^\beta}{M_i^\beta}$$

First node to scan

$$r_1 = z_1^\alpha M_1^\beta$$

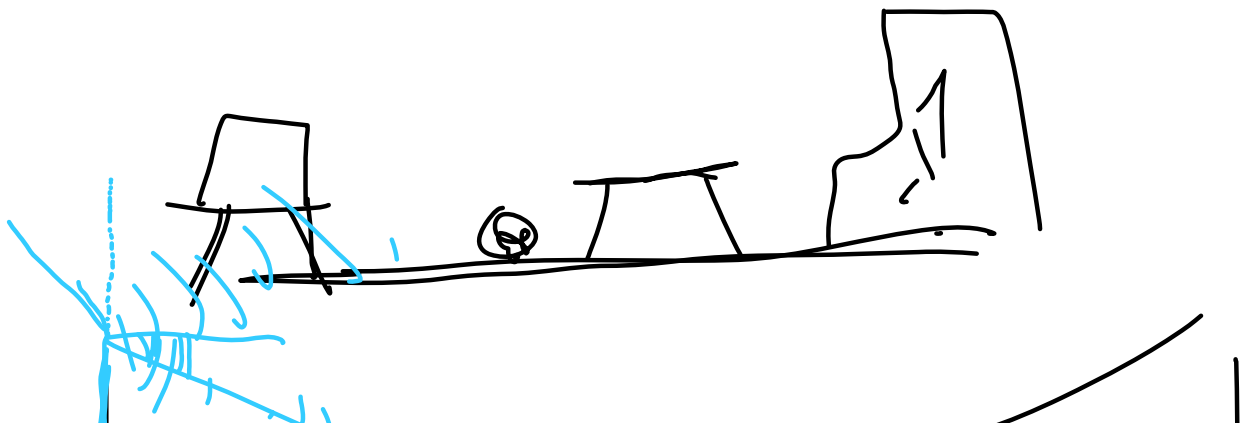
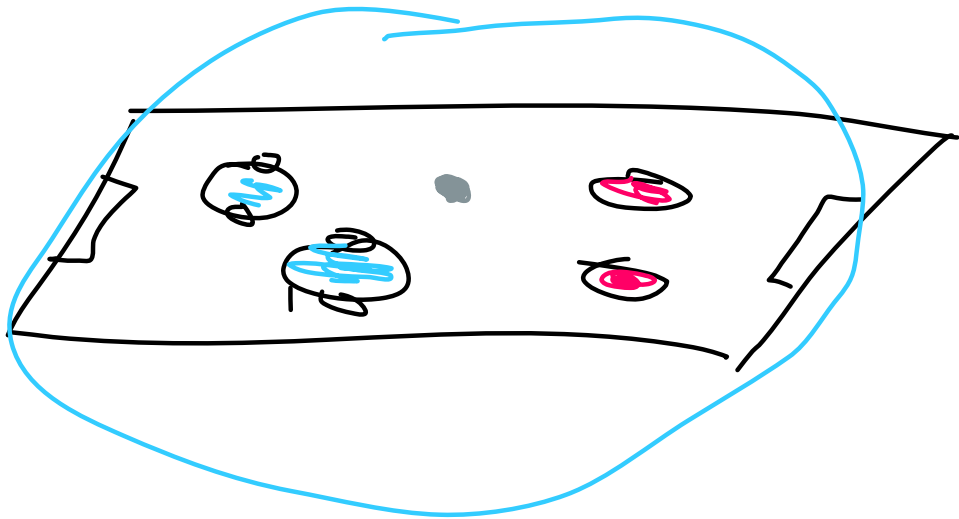
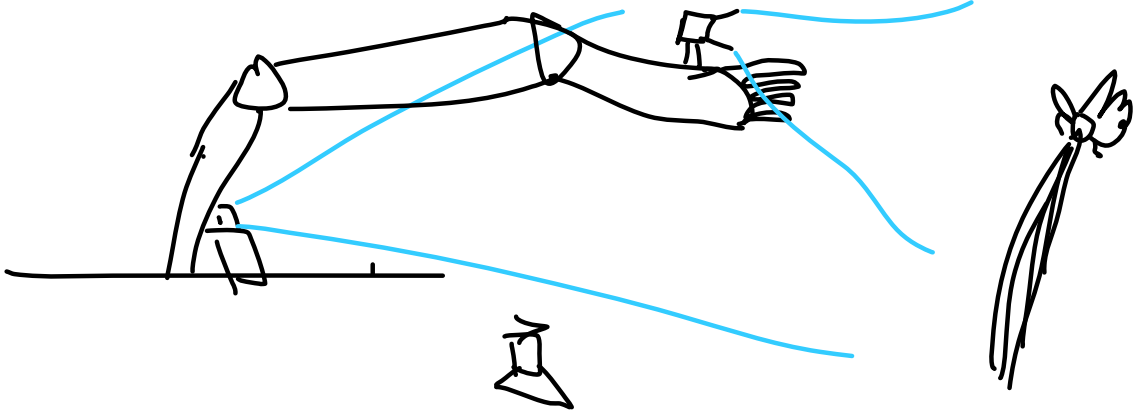
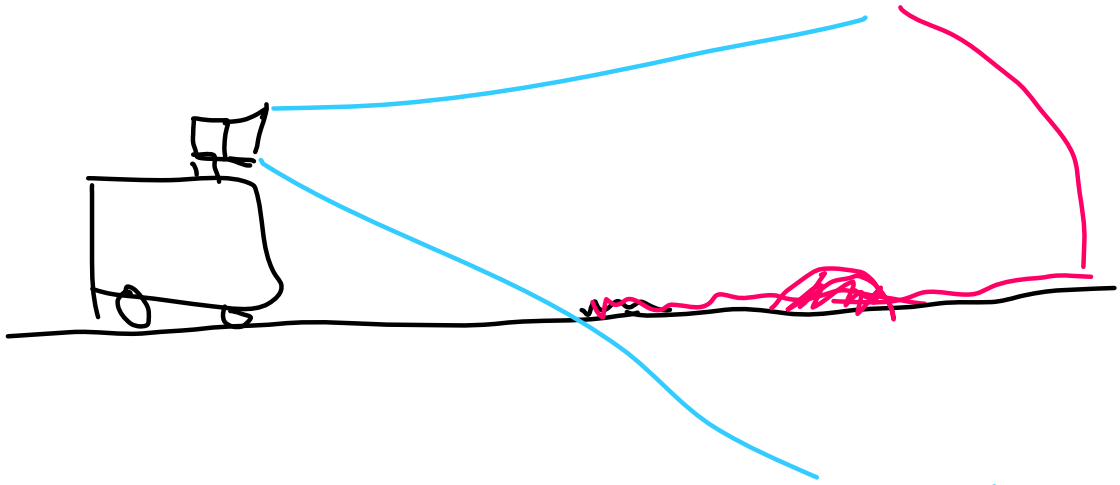
$$r_2 = z_2^\alpha M_2^\beta$$

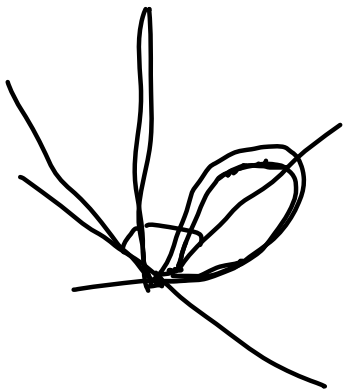
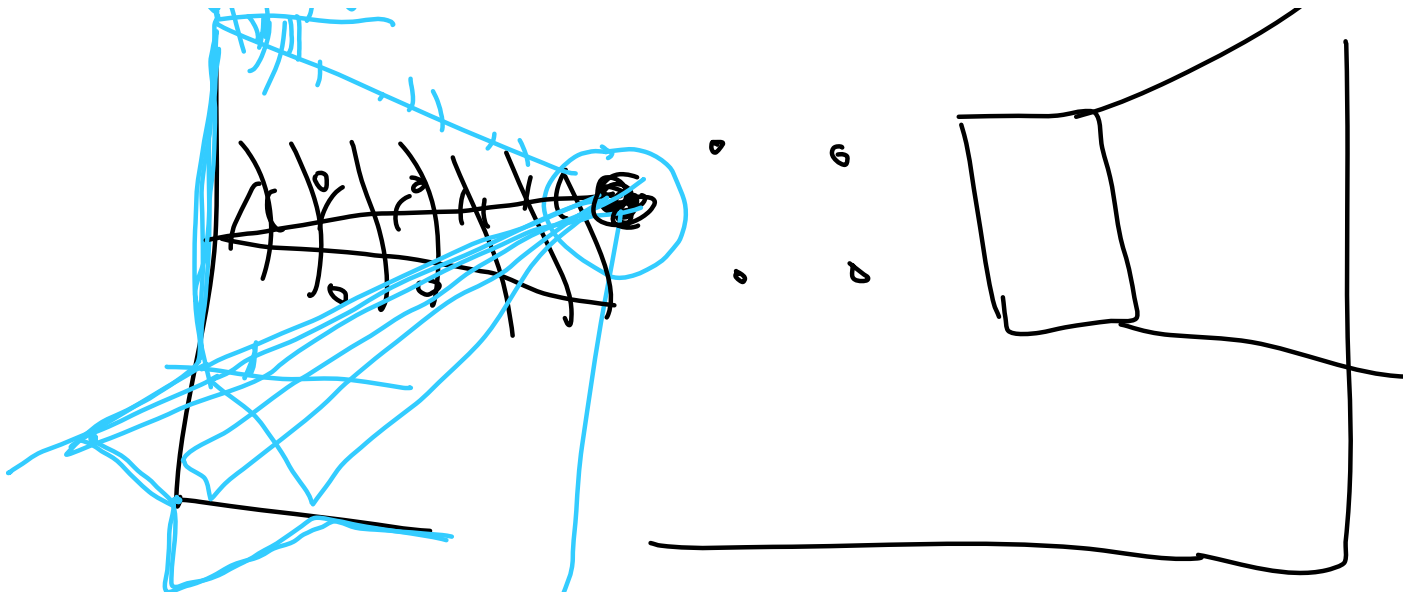
$$r_6 = z_6^\alpha \cdot \gamma_6^\beta$$



0 - 1 - 3 - 2 - 8 - 5 - 6 - 9

Final loop free path

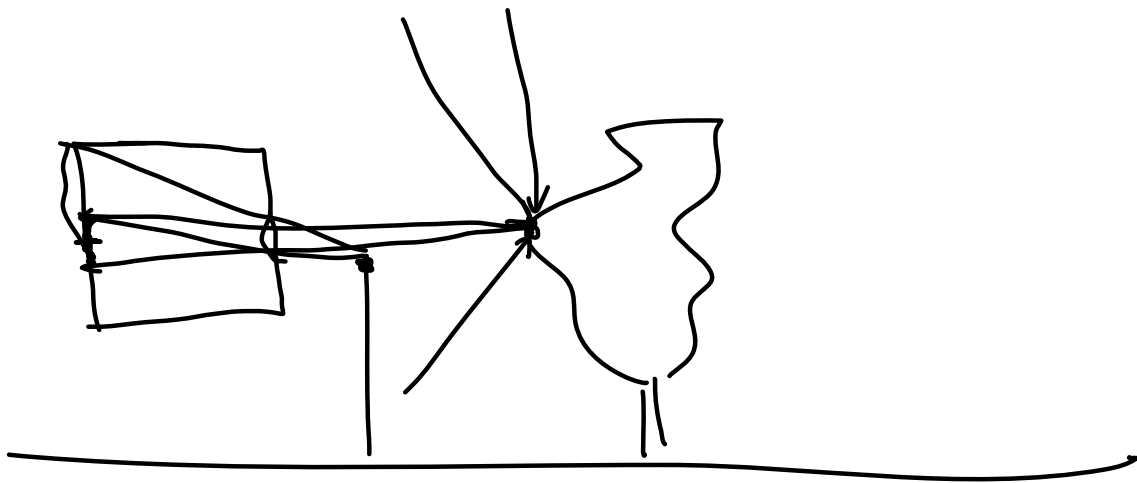
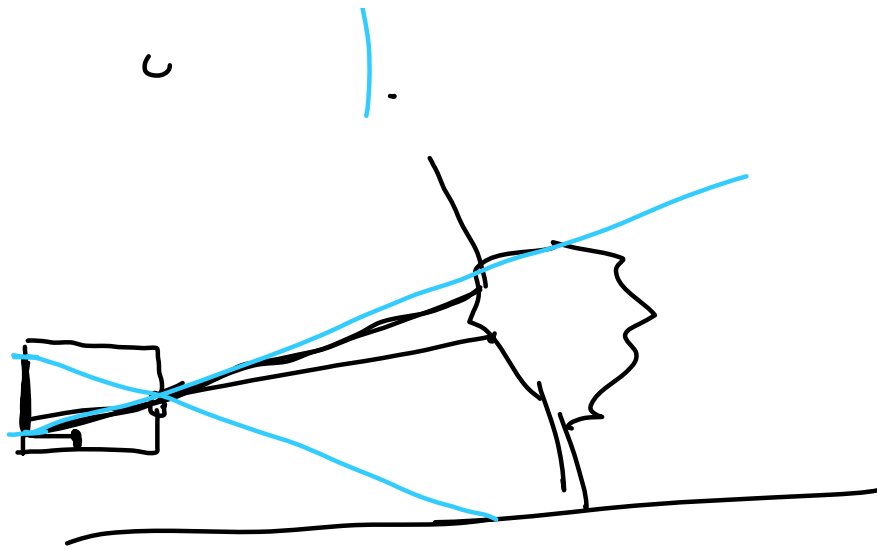




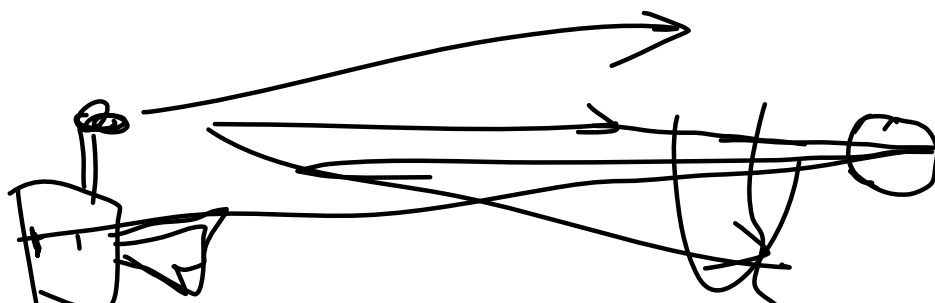
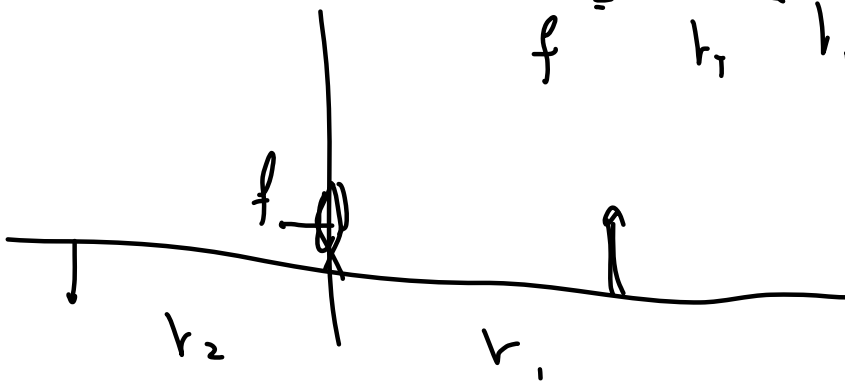
L2.15



c

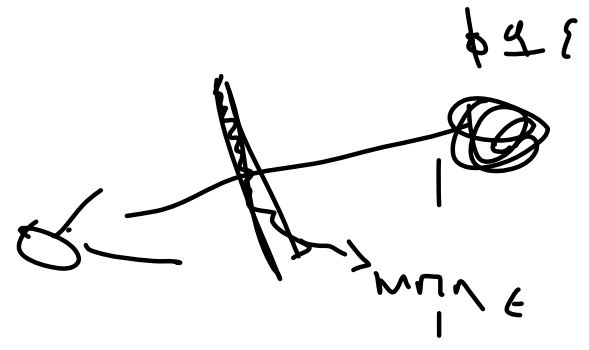
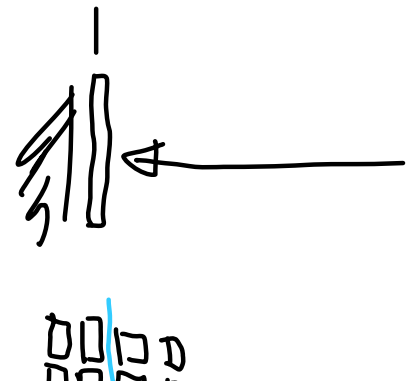
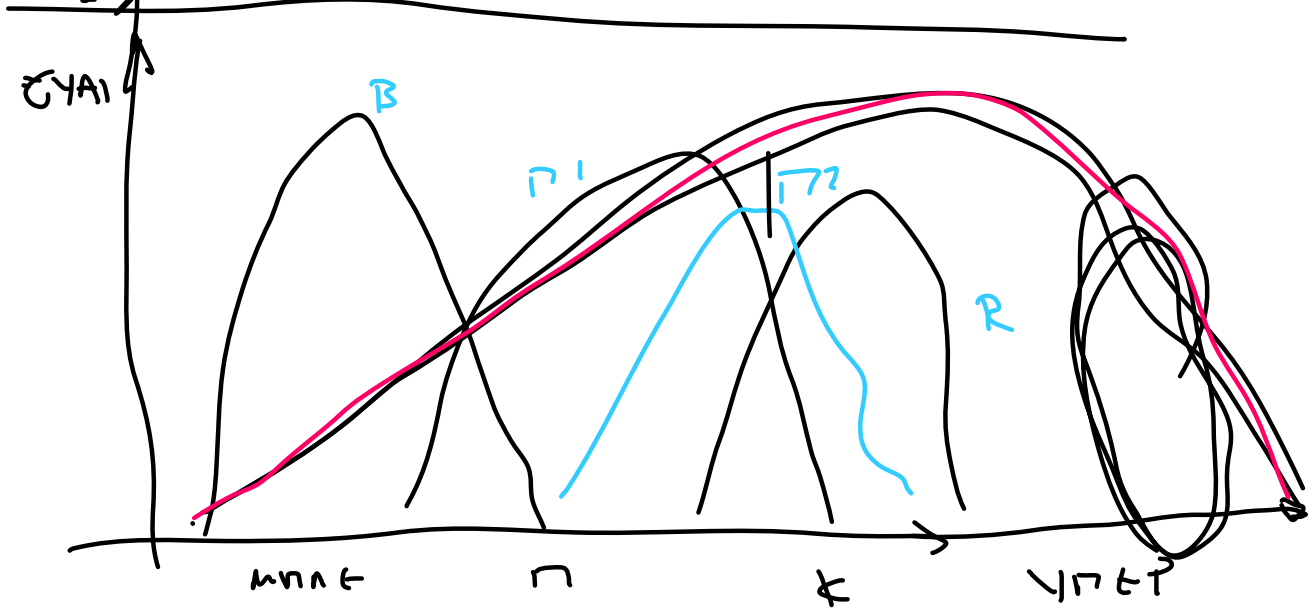


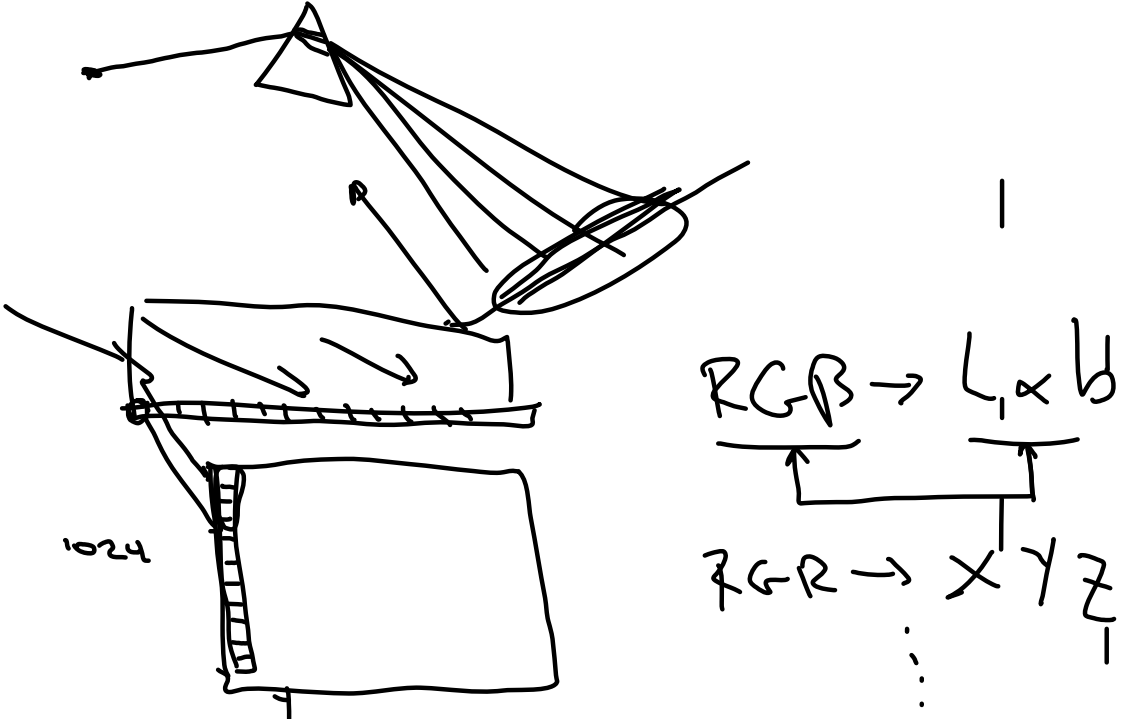
$$\frac{1}{f} = \frac{1}{r_1} + \frac{1}{r_2}$$





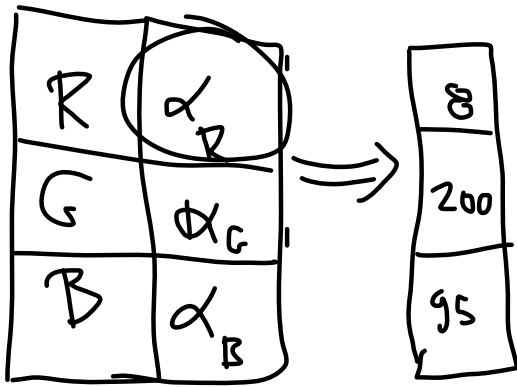
4.7 ΕΡΩΤΗΣΗ
 1
 ΜΑΝΤ ΠΡΑΓΜΑ ΚΟΕΦΙΝΤ
 474



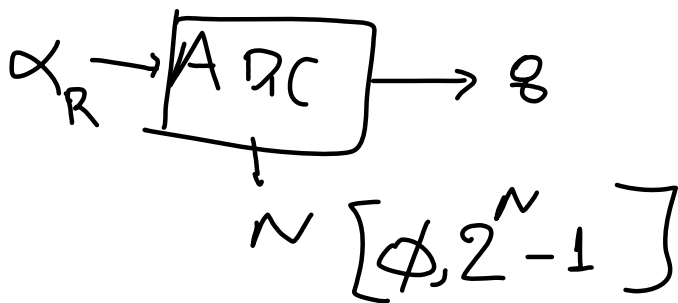


1.15

$$\underline{R} + \underline{G} + \underline{B} = \underline{Q} !$$



$$\begin{aligned}
 R' &= R \\
 G' &= G \\
 B' &= B
 \end{aligned}
 \left. \vphantom{\begin{aligned} R' &= R \\ G' &= G \\ B' &= B \end{aligned}} \right\} \Rightarrow R' + G' + B' = 1$$



8 bit $\rightarrow \phi, 2^8 - 1 = 255$

12 bit $\rightarrow \phi, 4095 = 2^{12} - 1$

16 bit $\rightarrow \phi, 65535 = 2^{16} - 1$

⋮

