

Aradajica Orij. K. H. 12.

7954	3	7826	φ	8300	5
7389	5	7976	φ	7126	3
7811	3	7966	3	7841	5.5
6254	5	7861	2	7005	3.
7572	5	7157	3.	7742	3
7255	3	7945	5	7419	5
6888	3.	7107	3	7433	5.5
7056	3.	7250	5	7449	3.
7964	5	7306	3	7829	3
7216	2	7494	5	6966	5
6723	2	6998	3	7875	5
7043	3.	7534	2	7348	5
7405	3.	7071	3.	7937	6
7780	3	7130	2	7651	5.5
7606	3.	7365	2	7786	3
7777	3	7387	2	7637	5
7799	3	7131	2	7145	5
6754	3	7029	φ	6915	5
5608	3	7687	2	7614 (Π.Γ)	5
7739	5	7200	2	7744	3
7428	3.	6978	φ	6708	5.5
7283	3	7872	6.5	7429	5
6953	3	7361	3	6497	5
7459	3	7410	3.	7149	φ
7809	5	6932	5		
7210	5	7101	3		
7821	2	7358	5		
7287	2	7305	5		
3600	φ	7913	5		
7295	2	7922	3		
7634	3	7818	5		

AYEETE

4. $I_C = \frac{5V - V_{BE}}{R_C + \frac{R_E + R_F}{\beta}} = 0.801 \text{ mA}$ $V_{CE} = 0.968 \text{ V}$

$\beta_m = 4 \times 0.801 = 3.2 \text{ ms}$, $r_n = \frac{150}{\beta_m} = 4.69 \text{ k}$ $r_o = 62.4 \text{ k}$

$A' = \frac{v_o}{v_i} = \frac{v_o}{v_n} \cdot \frac{v_n}{v_i} = \beta_m (R_C // R_E // r_o) \cdot \frac{v_n}{v_i} = 585 \text{ k}$

$\Rightarrow BA' = + \frac{1}{R_F} [- \beta_m (R_C // R_E // r_o) \cdot (R_E // r_n)] = 11.7$

$A_L = \frac{A'}{1 + BA'} = \frac{-585 \text{ k}}{1 + 11.7} = -46.06 \text{ k}$ $R_i = \frac{R_E // r_n}{1 + BA'} = 337 \Omega$
 $R_o = \frac{r_o // R_C // R_E}{1 + \beta_m} = 32 \Omega$

3 a) $R_{out} = R_E \left[1 + \frac{\beta_m R_F}{R_E + r_n + R_1 // R_2} \right]$ $r_o = \frac{V_A}{I_o}$

$I_B = \frac{V_{EE} \cdot \frac{R_1 R_2}{R_1 + R_2} - V_{BE}}{(R_1 // R_2) + (\beta + 1) R_E} \Rightarrow I_o = \beta I_B = 100 \frac{53V}{1 + 27000 \text{ k}} = 0.196 \text{ mA}$

b) $V_{BE1} = V_T \ln \frac{I_{REF}}{I_S}$ $V_{BE2} = V_T \ln \frac{I_o}{I_S}$ $I_o = \frac{V_{BE1} - V_{BE2}}{R_E} \Rightarrow I_o = \frac{V_T}{R_E} \ln \frac{I_{REF}}{I_o}$

2) $A_{v_{ms}} = g_m \cdot \frac{R_C // R_3}{R_1 + R_E // r_e}$ $r_e = \frac{V_T}{I_o} = 17 \text{ k}$

$f_{p1} = \frac{1}{\beta_m // R_C // R_3 \cdot C_n} \Rightarrow f_{p1} = 8.27 \times 10^8 = 827 \text{ MHz}$

$f_{p2} = \frac{1}{(R_{out} // R_2) (C_n + C_c)} = \frac{1}{R_2 (C_n + C_c)} \Rightarrow f_{p2} \approx 2.6 \text{ MHz}$

GBW = $827 \times 2.6 \approx 2150 \text{ MHz}$

1) $C_{MRR} = 20 \text{ log} \left| \frac{\beta_m - \frac{R_D}{2}}{\frac{R_D}{2}} \right| = 80 \text{ dB} \Rightarrow \beta_m R_{SS} = 10^4$
 $R_{SS} = \frac{10^4}{40 \text{ mA}} = 250 \text{ k}$ $R_D = \frac{10^2}{40 \text{ mA}} = 2.5 \text{ k}$
 $A_d = 10^2 = \beta_m \frac{R_D}{2}$ $\beta_m = \frac{I_C}{V_T} = \frac{I_C}{40 \text{ mV}}$

B) $f = \frac{V_{DD}^2}{2 R_D C_n} \approx \frac{1}{4}$ $V_{DD}^2 \leq V_{OS} \leq V_{TN}$

МИКРОХИМИЯ

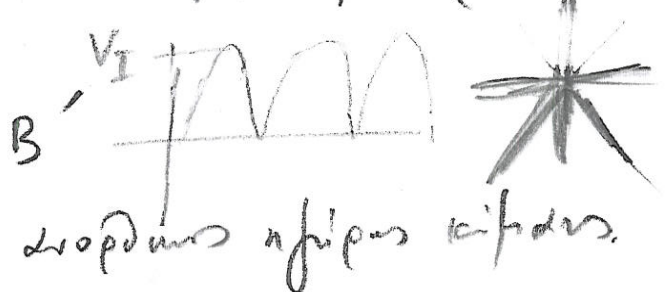
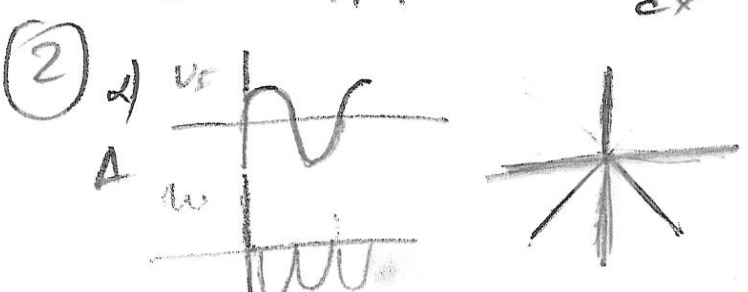
8192	5	8149	3	8184	7
7987	7.5	8088	5.5	8193	5
7744	3	8080	6.5	7389	4
7725	5.5	8066	5.5	7115	2
7511	7	7302	8	7811	2
7927	3	8177	3	7739	2
7201	5	8193	3	8115	2
8084	5	7306	3	8006	2
7851	6	8245	3	7494	2
8090	5.5	7712	3	7438	2
7822	5.5	8236	3	7917	2
8091	3	7904	3	8051	2
4246	5	8200	3	7703	φ
6644	5.5	8214	5	7629	φ
6966	5.5	7081	3	8118	1
8208	5	7581	3	7131	φ
8030	6	8073	3	8100	φ
7414	5.5	8003	3	8163	2
8164	6	8135	3	7590	2
8004	5	7072	3	7317	φ
7830	3	7025	3	7218	φ
7999	3	8150	3	7876	2
7913	6.5	8125	5.5	7945	2
7734	6.5	8138	6	8230	2
8167	5.5	8010	5		
7825	7	7784	5		
7826	3	7968	5.5		
7808	3	8099	6		
7738	3	7879	5		
8168	3	6832	5		
7714	3	7986	5		
7634	3	8249	5		

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① 1. n-typus $N_D = 8 \times 10^{17}$ $N_A \approx 0$ $N_D > N_A \Rightarrow n = N_D = 8 \times 10^{17}$
 $P = \frac{n_i^2}{n} \Rightarrow \frac{10^{20}}{8 \times 10^{17}} = 3.33 \times 10^2 \text{ cm}^{-3}$, $n_i^2 = K_{Si} \cdot T^3 \exp(-\frac{E_G}{kT}) \Rightarrow n_i(325^\circ\text{C})$
 $\approx 4 \times 10^{10} \Rightarrow P = \frac{n_i^2}{n} = \frac{1.6 \times 10^{21}}{8 \times 10^{17}} = 0.53 \times 10^4 = 5.3 \times 10^3$

B) $= 0$, $q n \mu_n E = J_{drift} + \frac{A}{\text{cm}^2}$, $q D_p \frac{dp}{dx} = -J_p \frac{A}{\text{cm}^2}$

$J_{total} = q n \mu_n E + q D_n \frac{dn}{dx}$, $60 \lambda = q (n \mu_n + p \mu_p) (\frac{0 \text{ cm}}{\text{cm}})^{-1}$



drop-downs n-p-n junction
 $\mu_n v_0 < 0$

$\mu_p v_0 > 0$

B) $i = I_s (\exp(\frac{V_D}{V_T}) - 1) \Rightarrow I_s = \frac{100 \mu\text{A}}{e \cdot 26.25 \text{ mV}} = 1.28 \times 10^{-16} \text{ A} = 12.8 \text{ fA}$

$\frac{2}{1} = \frac{\exp(\frac{V_D}{V_{T2}})}{\exp(\frac{V_D}{V_{T1}})} = e^{0.49 (\frac{1}{V_{T2}} - \frac{1}{V_{T1}})}$

$\Rightarrow \ln 2 = 0.49 (\frac{1}{V_{T2}} - \frac{1}{V_{T1}}) \Rightarrow 2 \times 10^{-4} = (\frac{1}{V_{T2}} - \frac{1}{V_{T1}}) \Rightarrow \frac{1}{V_{T2}} = \frac{1}{V_{T1}} + 2.2 \times 10^{-4}$
 $\Rightarrow T_2 = 308 \text{ K}$

③ $R_i = r_n (1 + \beta_m R_c) = \frac{V_T \cdot \beta}{I_C} (1 + \frac{I_C}{V_T} R_c)$, $R_o = R_c \parallel (r_o + \frac{R_c \parallel R_L}{\beta + 1})$
 $= R_c \parallel (\frac{V_T}{I_C} + \frac{R_c \parallel R_L}{\beta + 1})$

2) $R_i = \alpha$, $R_o = \frac{1}{\beta_m}$, $\frac{v_o}{v_i} = \frac{R_c}{R_i + R_c} \frac{\beta_m R_c}{1 + \beta_m R_c}$

4 $A_v = \frac{R_c}{R_i + R_c} \cdot \frac{\beta_m \cdot (R_3 \parallel R_4)}{1 + \beta_m (R_1 \parallel R_2)} = 8.48$ $A_i = \alpha \approx 1$
 buffer $\rho_{in} \ll \rho_{out}$

$R_i = R_2 \parallel \frac{1}{\beta_m} \parallel \frac{1}{r_o} \approx R_2 \parallel \frac{1}{\beta_m} = 13 \text{ k} \parallel \frac{10^3}{10} \approx 13 \text{ k} \parallel 100 \approx 100 \Omega$

$\beta_m = 9.8 \text{ mS}$